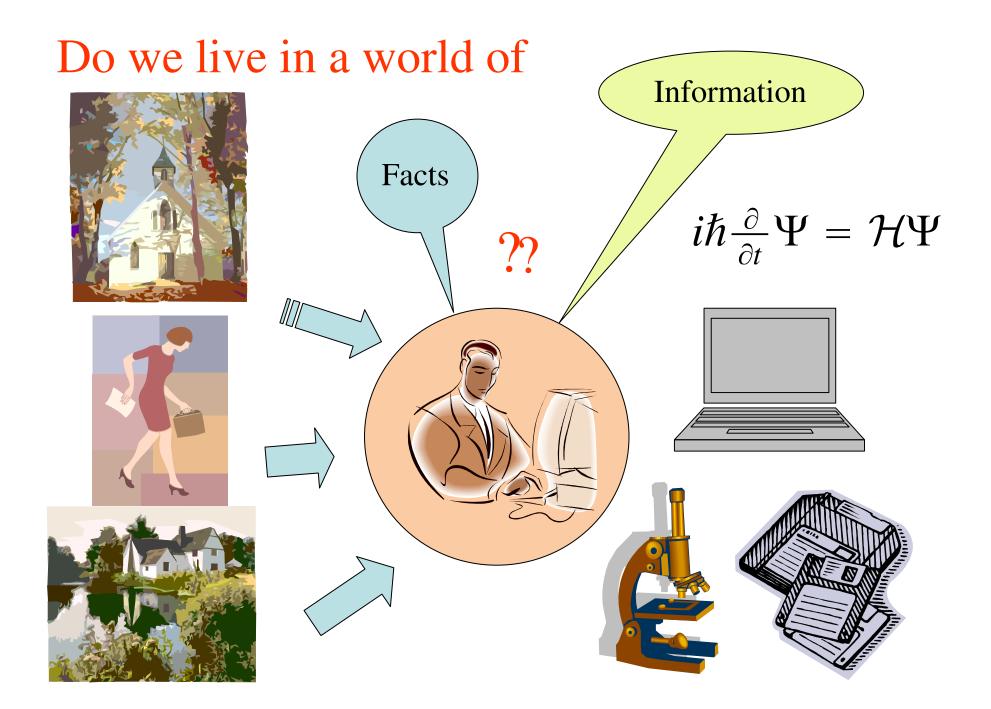
Do we live in a world of facts or information?

What information anyway?

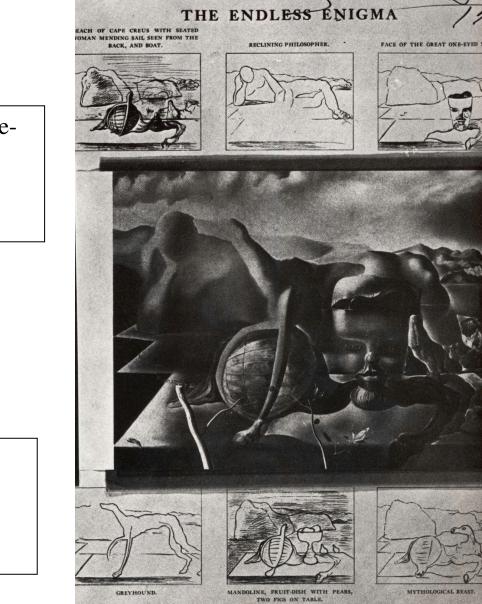


Knowledge and information

- The classical *World* consists of *objects* and their *observable properties*.
- We describe the World in terms of concepts created by humans.
- We communicate our knowledge by using arbitrary symbols we have agreed on.
- Such communication is part of our every-day life.
- Technology is based on efficient communication.



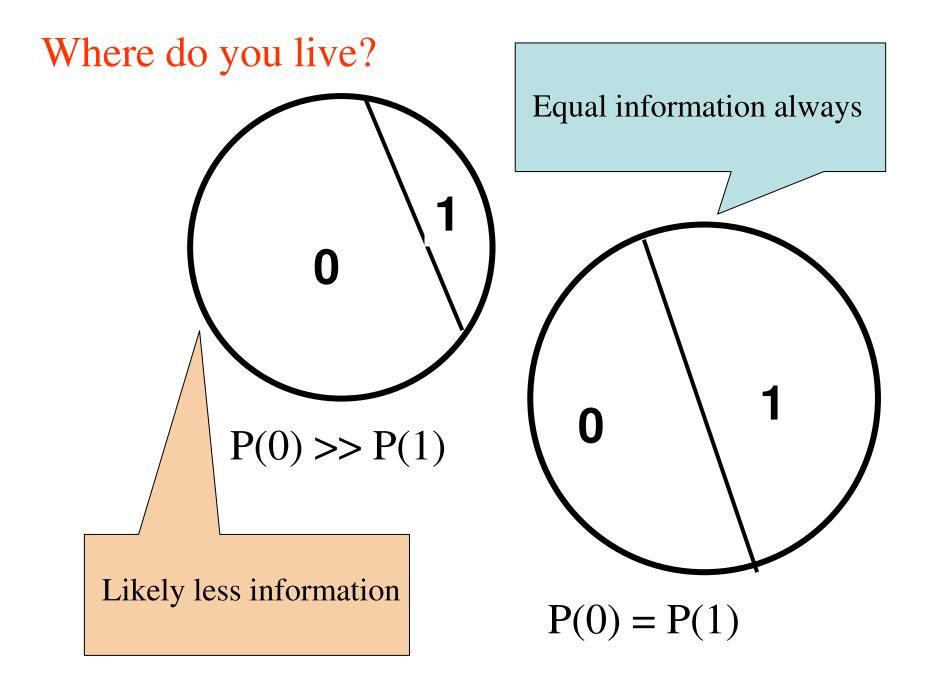
Salvador Dali



Beach and boat	Reclining philosopher	Big one- eyed Moron
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Concepts structure the world.

Current	Mandalin	
Gray-	Mandolin	Mythic
hound	and fruits	Beast



Theory of Information

- Theory developed by Claude Shannon, (1916 - 2001)
- Shannon, C. E. and Weaver, W.
 Mathematical Theory of Communication. (1963).
- Very formal but highly useful.
- Relation to thermophysics through *entropy*.

Measure of classical information

The events #1 and #2 occur with probabilities

$$\frac{1}{p}$$
 and $\frac{1}{q}$.

The probability that events #1 and #2 occur is $p \times q$, what is the combined information?

$$\log\left(\frac{1}{pq}\right) = \log\left(\frac{1}{p}\right) + \log\left(\frac{1}{q}\right)$$

Information = - *log*(probability)

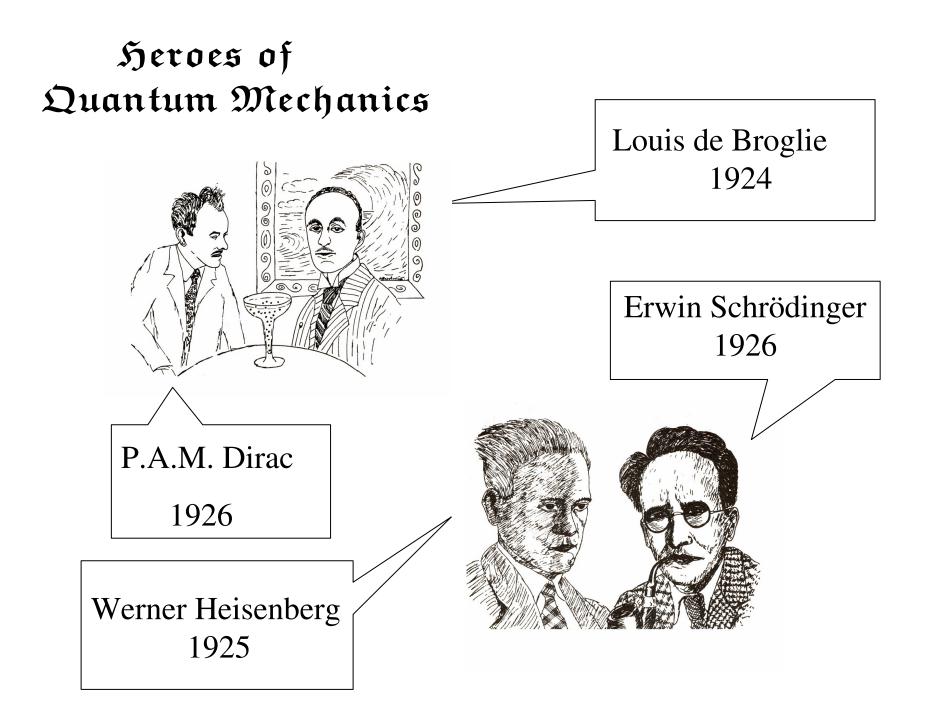
Communication is based on an alphabet: $\{00.01, 10, 11\} \equiv \{0, 1, 2, 3\}$ A text consists of the following distribution:

00	50	%	0
01	34	$\%$ \Rightarrow	10
10	8	%	110
11	8	%	111

Average word length

 $0.5 \times 1 + 0.34 \times 2 + 0.08 \times 3 + 0.08 \times 3 = 1.66 < 2$

Compression of messages. Shannon derived the maximum for this.

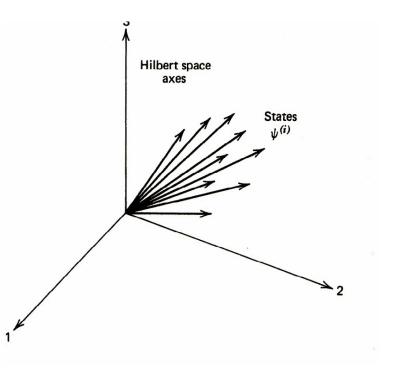


Quantum Facts

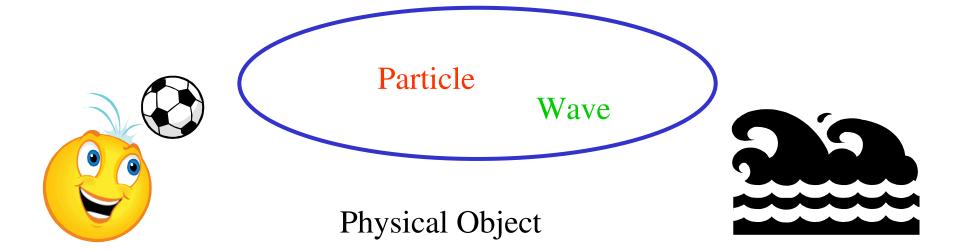
In Quantum Theory the state of a system is represented by a **vector**:

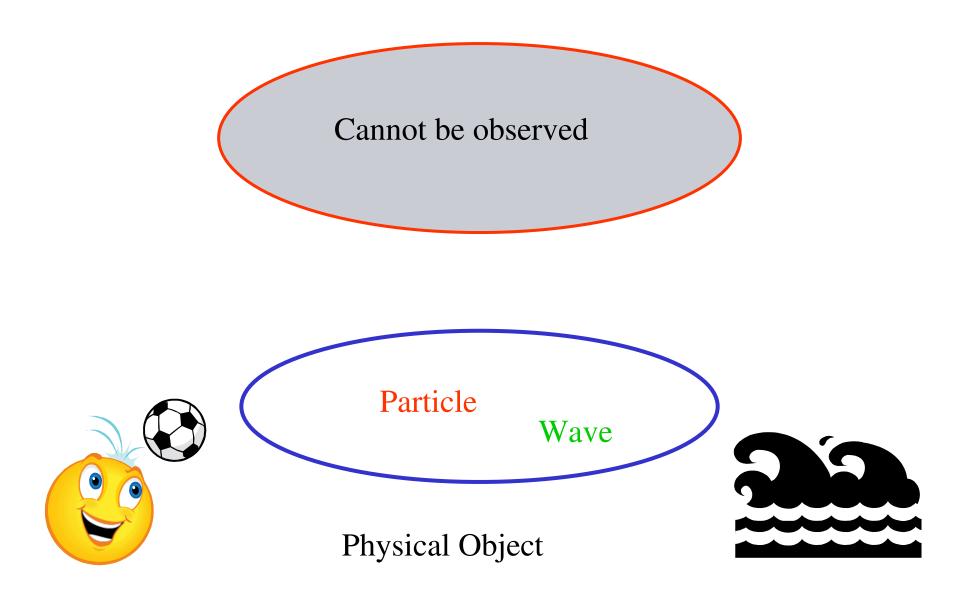
 $\vec{\Psi} = \vec{a}_1 + \vec{a}_2 + \dots$ If \vec{a}_1 can happen then also \vec{a}_2 can happen.

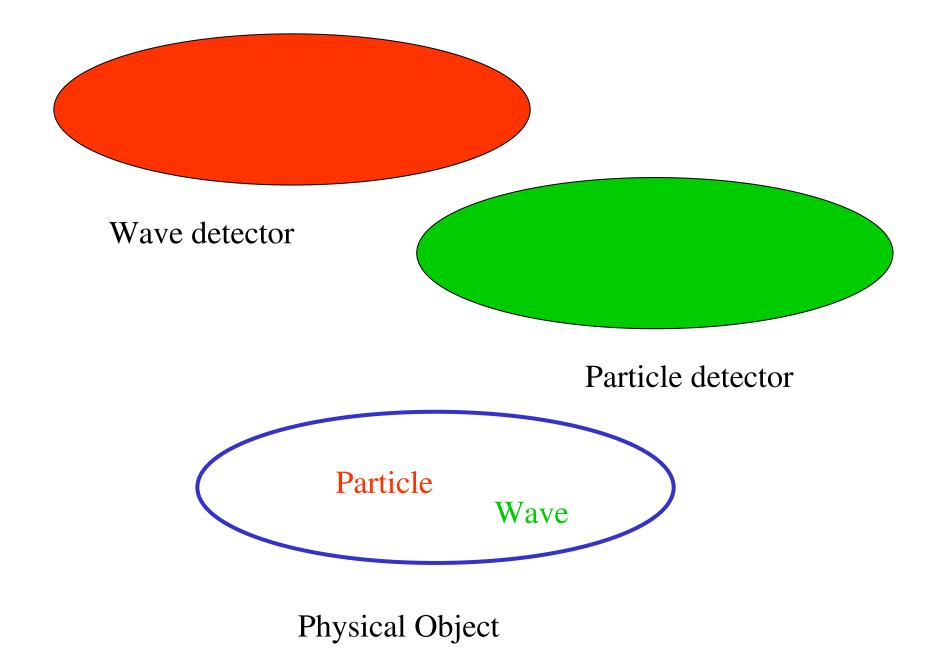
Classically these are exclusive.

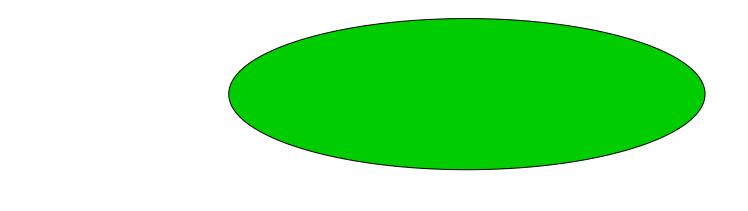


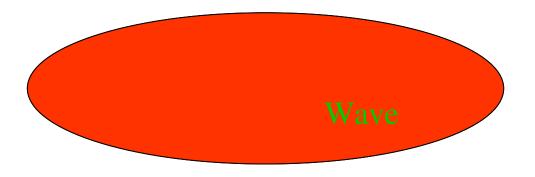
Example: A system can be both a wave and a particle

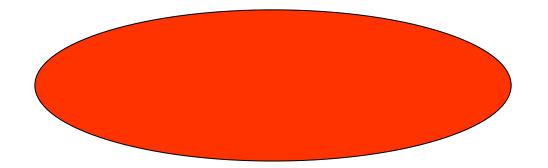


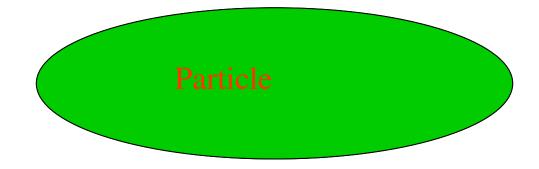








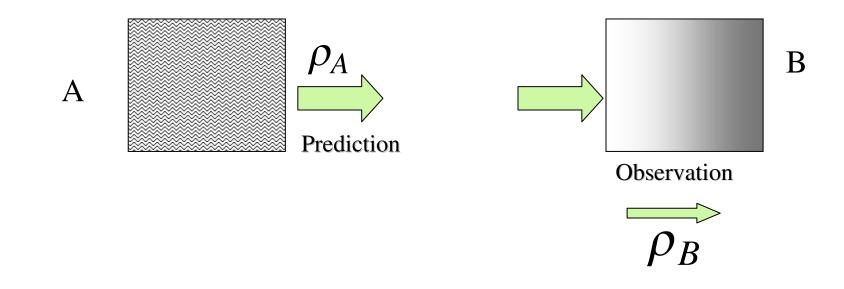




Whose Quantum Information?

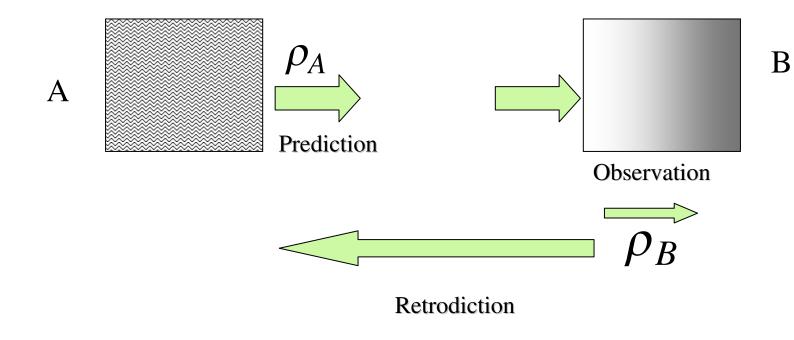
If we have different information, whose state is *real*?

- •A prepares an ensemble of systems in a known state.
- •B performs measurements on a finite sample, and assigns a different density matrix.



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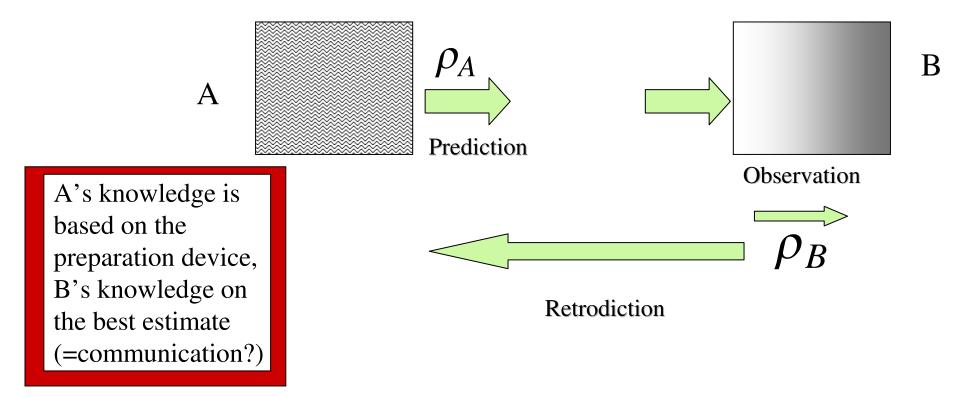
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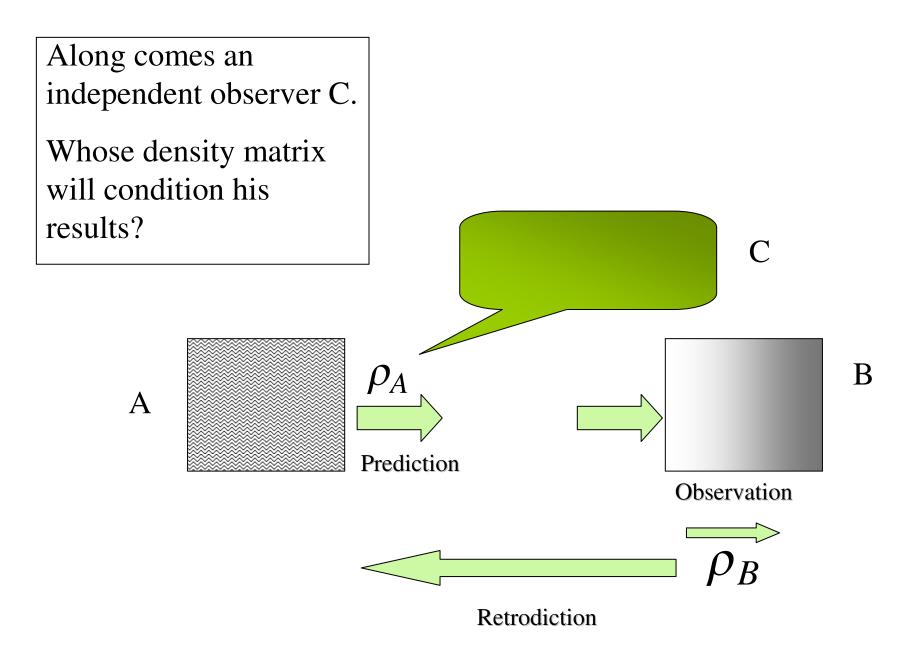


Which density matrix is *an element of reality* ?

If we have different information, whose state is *real*?

- •A prepares an ensemble of systems in a known state.
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Information in Quantum States

- All experimental outcomes have to be predicted from the state vector of the system:
- A quantum system can be doing simultaneously all the things a classical system can do as alternatives.
- However, there are strict limitations on which observations we can make on a quantum system.
- Thus quantum systems can do *more* and *less* than a classical one.

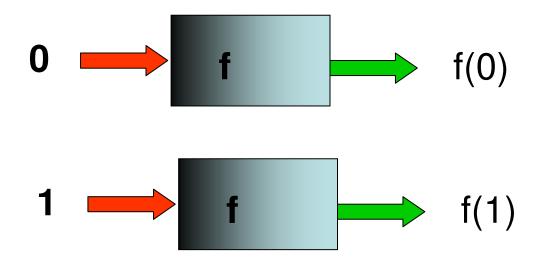
Quantum computing

What and why?

Calculation of simple function

 $f:\,\{0,1\}\,\to\,\{f(0),f(1)\}$

To determine this function we need two operations.



Quantum Mecanically:

We prepare the system in a state:

 $\vec{\Psi} = \vec{a}_0 + \vec{a}_1$

giving in one operation

$$\mathbf{f}\left(\vec{\Psi}\right) \Rightarrow f(0) \, \vec{\mathbf{a}}_0 + f(1) \, \vec{\mathbf{a}}_1$$

both results are obtained.

Classical versus quantum computing

• Classical

 $\mathbf{f}: \{1,2,3,\ldots N\} \rightarrow$

 ${f(1), f(2), f(3), \dots, f(N)}$

This gives all the answers, but we have to carry out the operation N separate times. • Quantum

$$\mathbf{f}: \vec{\Psi} = \vec{\mathbf{e}}_1 + \vec{\mathbf{e}}_2 + \dots \vec{\mathbf{e}}_N$$

$$= f(1)\vec{\mathbf{e}}_1 + f(2)\vec{\mathbf{e}}_2 + \dots f(N)\vec{\mathbf{e}}_N$$

The quantum computer gives all the answers in one operation, but the "reading" has to involve all coefficients together.

Potential applications of quantum information:

• Quantum communication is secure.

- If one observer measures a state, this is not available for anybody else.
- Evesdroppers can be detected

• Quantum coding can be compact and efficient.

- Large amounts of data can be stored and sorted.
- Random search can be efficiently carried out.

• Quantum computing is highly parallel.

- Computationally complex tasks can be speeded up.
- Factoring huge numbers can be done efficiently..
- Secret information exchange endangered.

Quantum theory; present and future

- What do we know?
- What do we want to do?

Quantum concepts and reality

- The *individual quantum system carries information* about its state function.
- It is conditioned on the amount of classical information available.
- When we learn more, we have to re-adjust our predictions at once.
- The "knowledge" is an *objective feature*.
- Knowledge constitutes a feature of reality.
- The universal web of knowledge is part of Reality.

For the present we have to accept that quantum mechanics describes our interactions with elements of Reality.

Our experiments are performed in order to gather information about such reality.

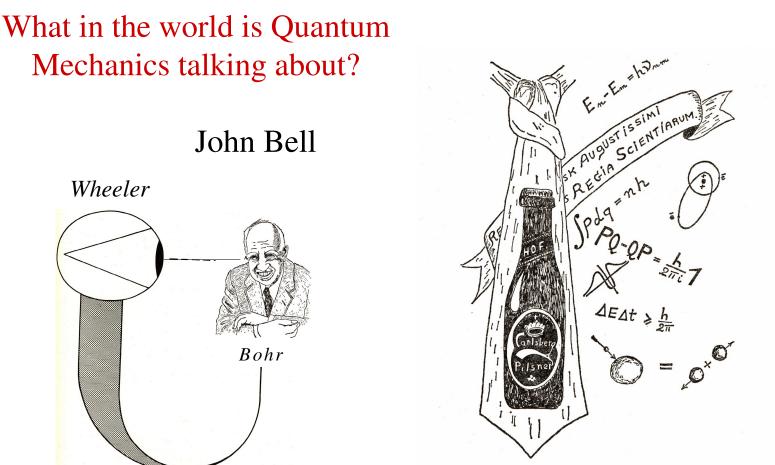
The reality must somehow exist; it has to contain both state vectors and the totality of available information.

This assigns reality to a universal nexus of (classical) *information accessible to anybody*.

Is this the modern concept of the world as a web of phenomena and information only?

A heavy burden for the theory!

The stationary states possess as much or as little 'reality' as the elementary particles themselves. Thus both the quantum objects and their property to be in states are part of the same "reality"



Niels Bohr